

ERL  
2013

**HZB** Helmholtz  
Zentrum Berlin



# START-TO-END BEAM DYNAMIC SIMULATIONS FOR THE FEMTO-SCIENCE-FACTORY

## Facility Introduction

Goal Parameters  
Scalable Energy  
Pre-injector Layout

## Operation Modes

Suppression of Transversal Emittance Growth  
Longitudinal Emittance Recovery

## Start-to-Undulator

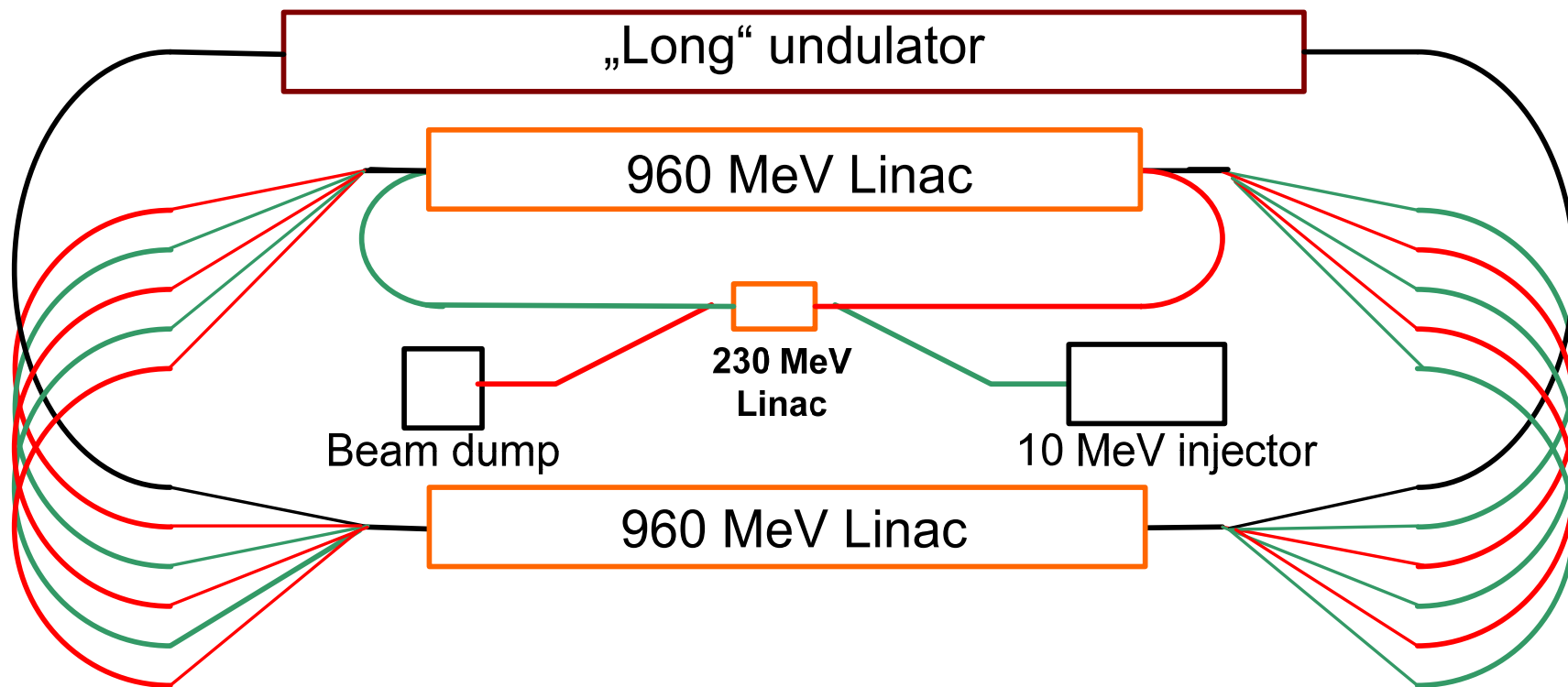
## ASTRA input

## Start-to-End

|                                    | Low Emittance Mode | Short Pulse Mode |
|------------------------------------|--------------------|------------------|
| Pre Injector (MeV)                 | 230                | 230              |
| Main Linacs (MeV)                  | 960                | 960              |
| Final Energy (GeV)                 | 6                  | 6                |
| Charge (pC)                        | 15                 | 5                |
| Bunch length (fs)                  | 2000               | 10               |
| Emittance (mm mrad)                | 0.1                | 0.5              |
| Av. Brightness $\langle B \rangle$ | $10^{22}$          | $10^{21}$        |
| Peak Brightness $B_{\text{peak}}$  | $10^{26}$          | $10^{26}$        |

Sustain 0.1 mm mrad  
over 4 km of machine !!!

5 pC, 10 fs bunch @ 6 GeV  
If produced, can this bunch  
be recovered ?



If due to unforeseen circumstances  
or maybe possible upgrades the energy changes ...

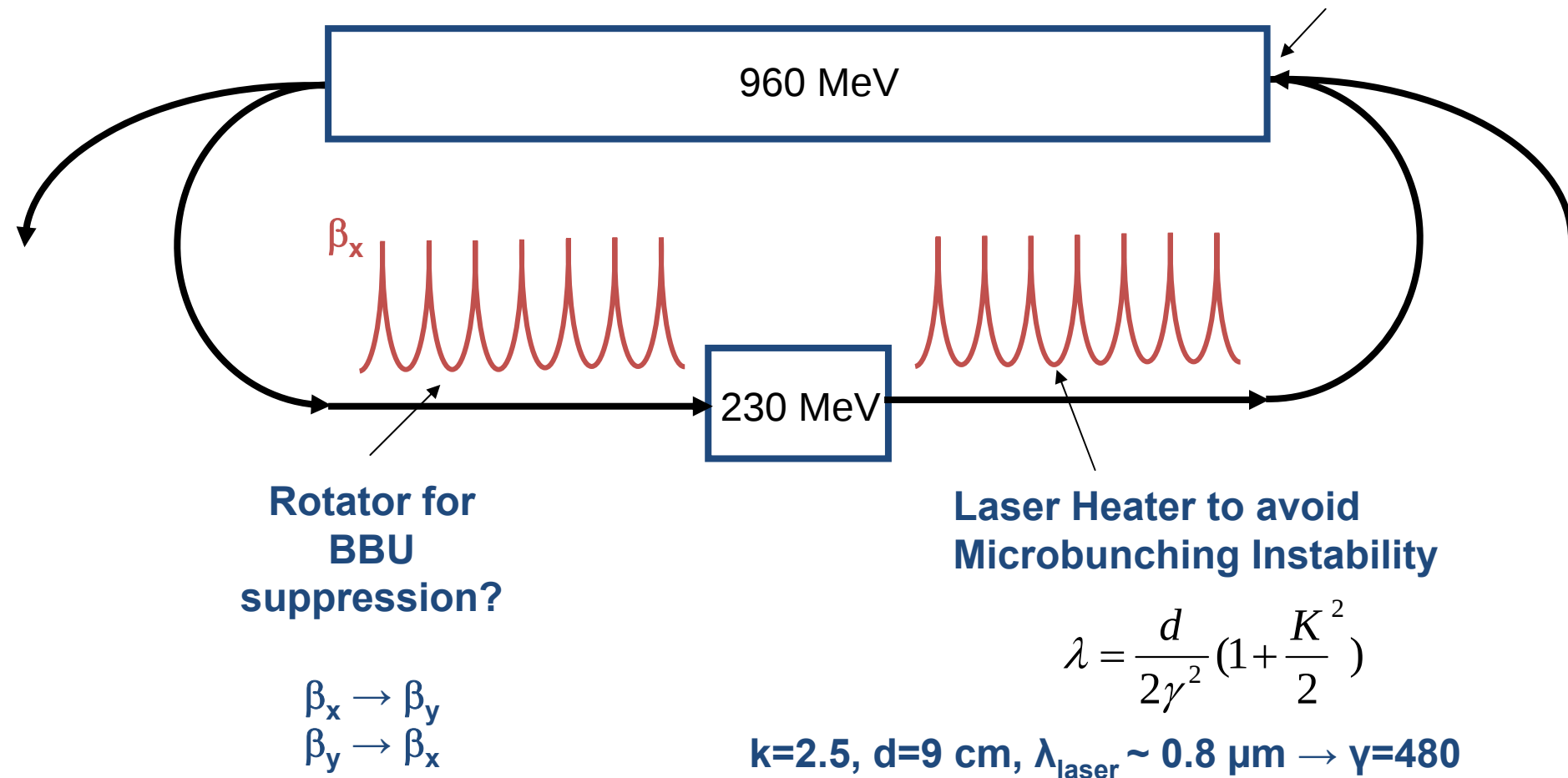
A re-design of the spreader is not necessary  
simply adjust the cavity field gradient.

$$E_f = (1 + 2kN)(E_i + E_{pre})$$

Taking  $E_i = 10 \text{ MeV}$ ,  $E_{pre} = 230 \text{ MeV}$ , for  $N = 3$  turns per linac  
Up to a final Energy  $E_f = 6 \text{ GeV}$  is reached then for say  $k = 4$   
the main linac energy is  $960 \text{ MeV}$ .

## Possible scenario ...

Merger/Spreader  
share pre-injection  
Bending magnet



## On-crest acceleration/deceleration in all linacs

### Isochronous Optic

|                       |                                |
|-----------------------|--------------------------------|
| Pre-injector          | 2*TBA ( $\mu_x \sim \pi$ bend) |
| Arc1                  | TBA                            |
| Arc2                  | TBA                            |
| 2 $\rightarrow$ 6 GeV | DBA with anti-magnet           |
| 6 $\rightarrow$ 2 GeV | DBA with anti-magnet           |
| Arc2                  | TBA                            |
| Arc1                  | TBA                            |
| Pre-injector          | 2*TBA ( $\mu_x \sim \pi$ bend) |

**Goal:** transversal normalised emittance **0.1 mm mrad !!**

## Off-crest phase in main linacs

$$\phi_1 = 100^\circ \quad \phi_2 = 70^\circ$$

## Telescopic Compression

Pre-injector

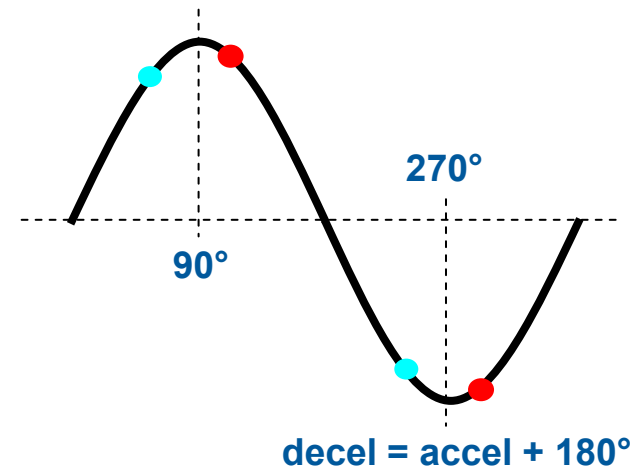
BERLinPro\*

Arc1

TBA  $R_{56} = 0.2$  m

Arc2

TBA  $R_{56} = 0.05$  m



## High Energy Arcs

2 → 6 GeV

DBA with anti-magnet

6 → 2 GeV

DBA with anti-magnet

## Telescopic Decompression

Arc2\_d

TBA  $R_{56} = -0.05$  m

Arc1\_d

TBA  $R_{56} = -0.2$  m

Pre-injector

BERLinPro\*

change the signs of  $R_{56}$   
on recovery

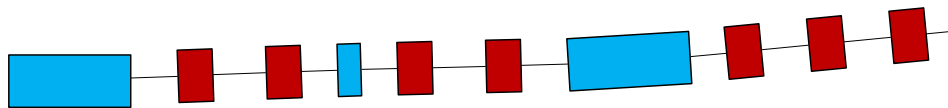
**Goal:** short bunch length

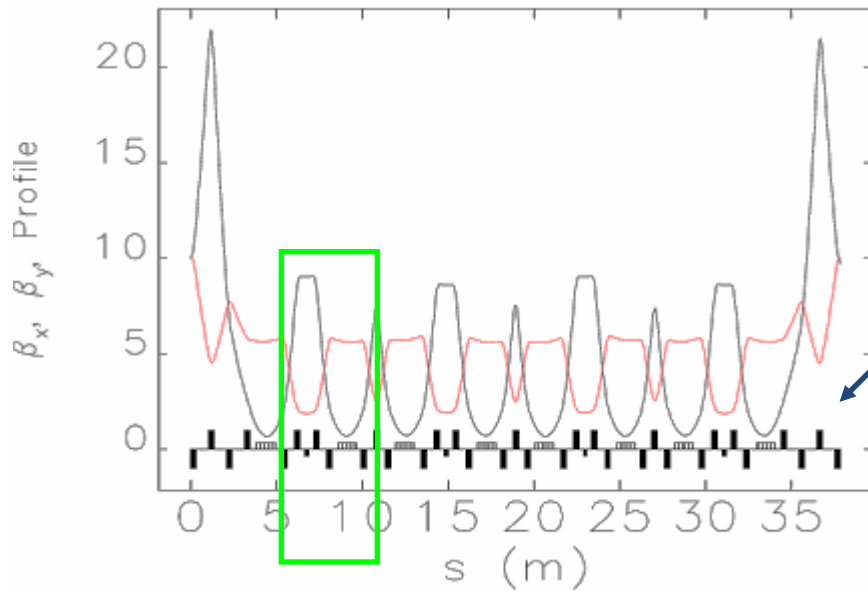
**1D CSR** regime without shielding,  $\delta_{\text{CSR}} R_{56} \ll \sigma_z$

For a system of  $N$  identical isochronous bends the CSR shift

$$\begin{pmatrix} \delta x \\ \delta x' \end{pmatrix}_N = \left( I \sum_{n=0}^N \cos n\mu_x + J \sum_{n=0}^N \sin n\mu_x \right) \begin{pmatrix} \delta x \\ \delta x' \end{pmatrix}_0$$

If  $\mu_x = 2\pi \cdot k/N$  where  $k$  is an integer, the impact of CSR on the transversal emittance becomes zero ...

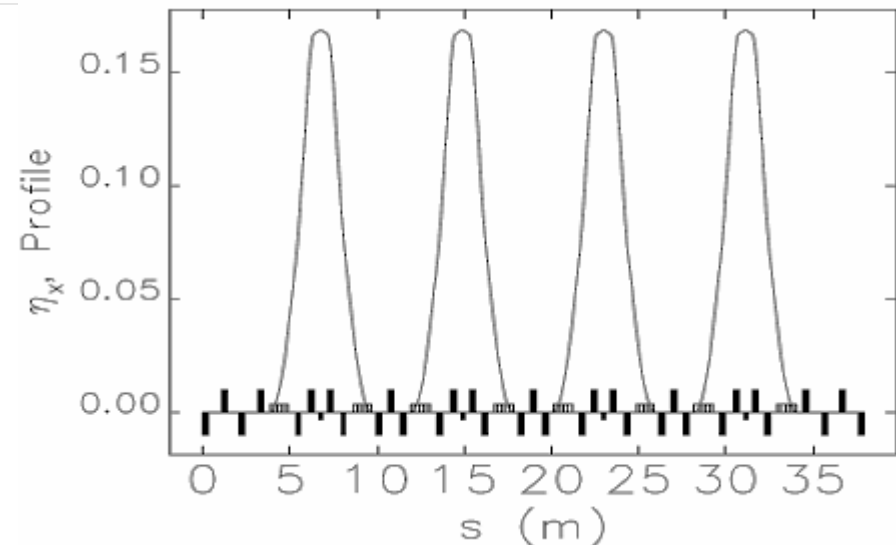


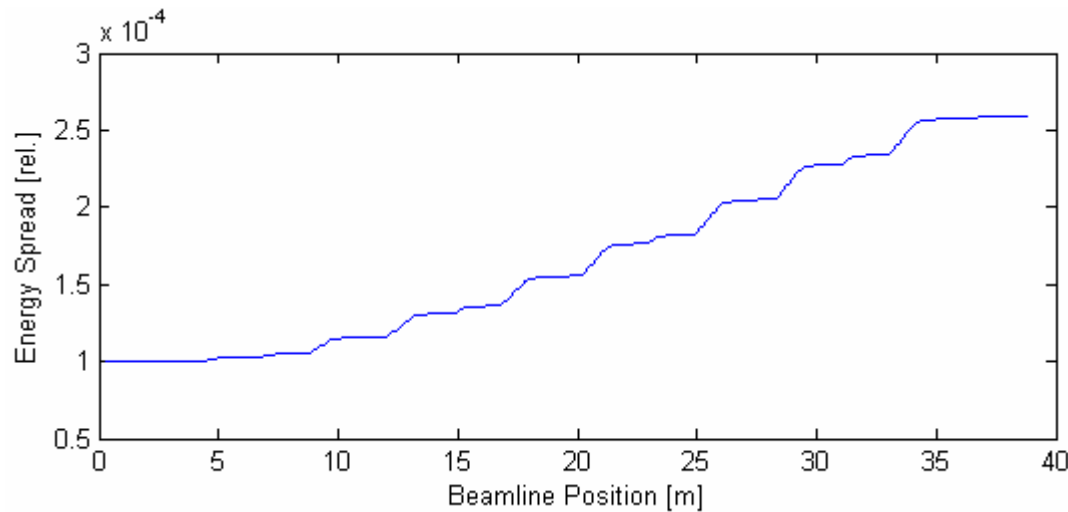


**Matching quads for Arc undulators**

**Low dispersive optic**

$\mu_x = 2\pi \cdot 3/4$   
**Phase advance per cell**

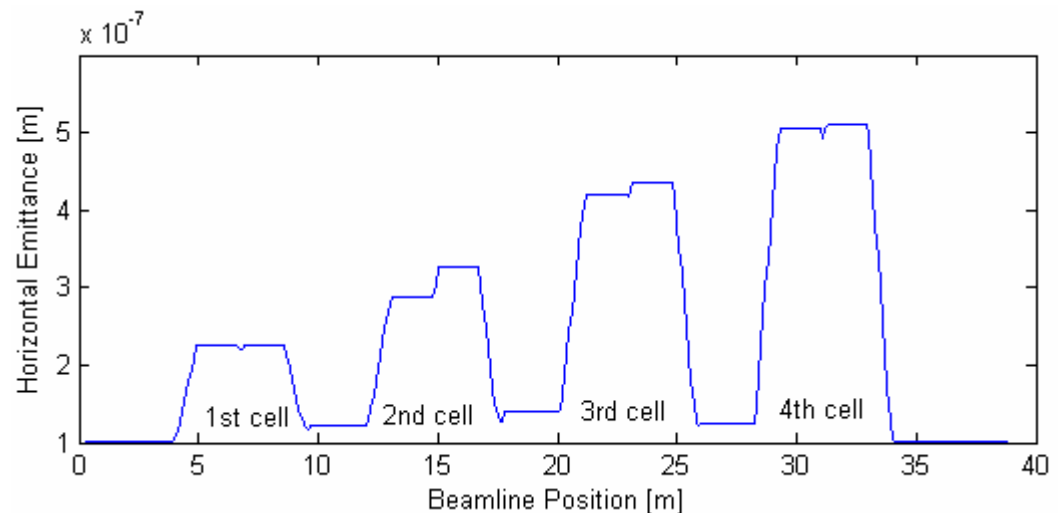




**quick formula check**  
 $\delta_{\text{csr}} \sim q / \sigma_z^{4/3} \sim 10^{-4} \text{ per cell}$

**15 pC, 10 fs bunch**  
**CSRtrack**

**ISR not included**



## Chromatic aberrations in the horizontal plane

$$x_1 = T_{161} \delta_0 x_0 + T_{162} \delta_0 x'_0 + \dots$$

$$x'_1 = T_{261} \delta_0 x_0 + T_{262} \delta_0 x'_0 + \dots$$

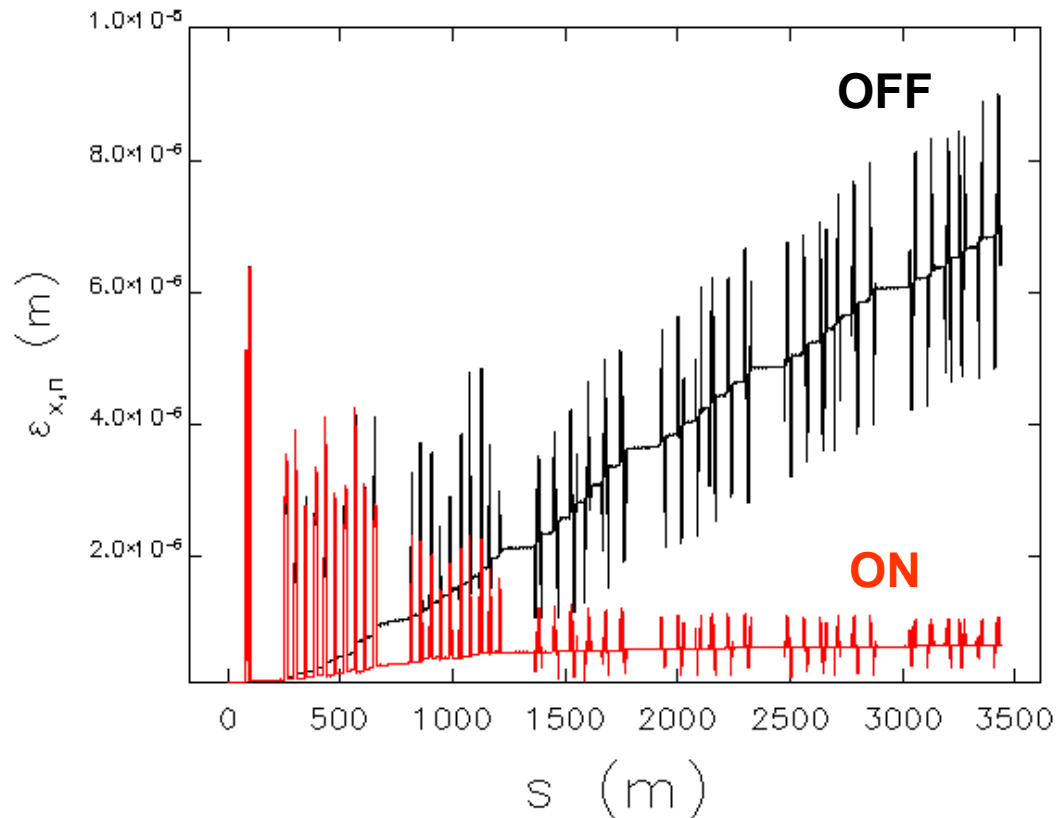
Using the linear terms one can approximate the emittance change as

$$\varepsilon_1^2 = \langle x_1^2 \rangle \langle x_1'^2 \rangle - \langle x_1 x_1' \rangle^2$$

$$\varepsilon_1^2 \approx (T_{161} T_{262} - T_{162} T_{261})^2 \left( \langle \delta_0^2 x_0^2 \rangle \langle \delta_0^2 x_0'^2 \rangle - \langle \delta_0 x_0 x_0' \rangle^2 \right)$$

By setting  $T_{161}^* T_{262} = T_{162}^* T_{261}$  the  $|\varepsilon_x| \rightarrow 0$

## Normalised horizontal emittance plot



Factor 10 supression

$$T_{161} * T_{262} = T_{162} * T_{261}$$

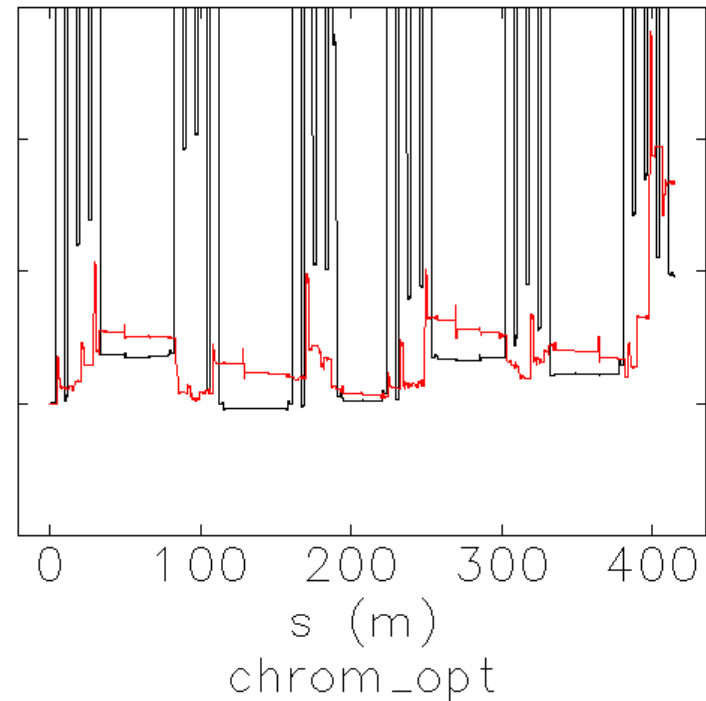
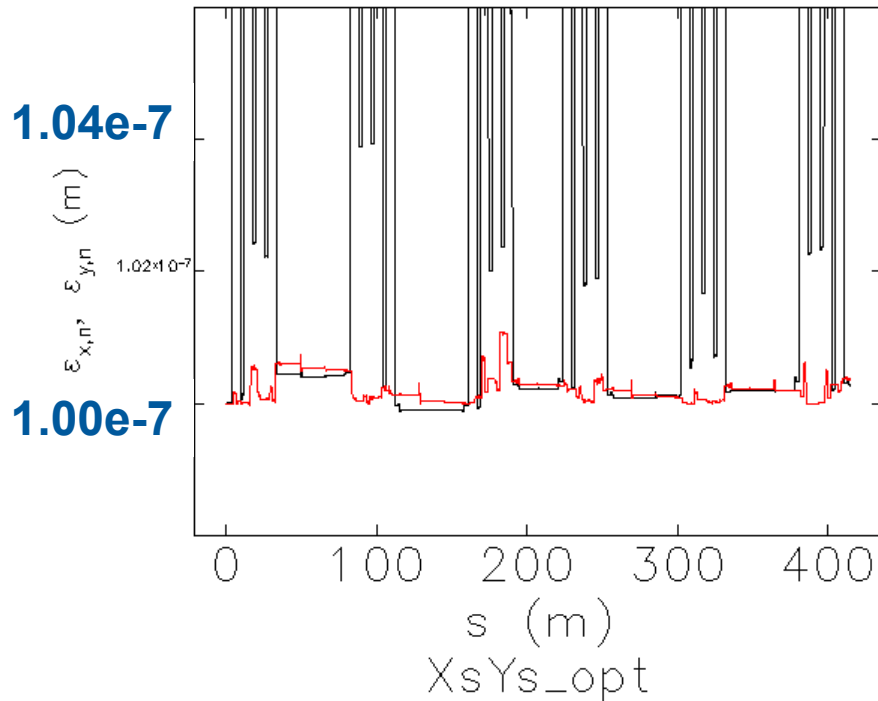
2 sextupole families per cell w/o radiation effects

$$T_{161} * T_{262} - T_{162} * T_{261} = 0$$

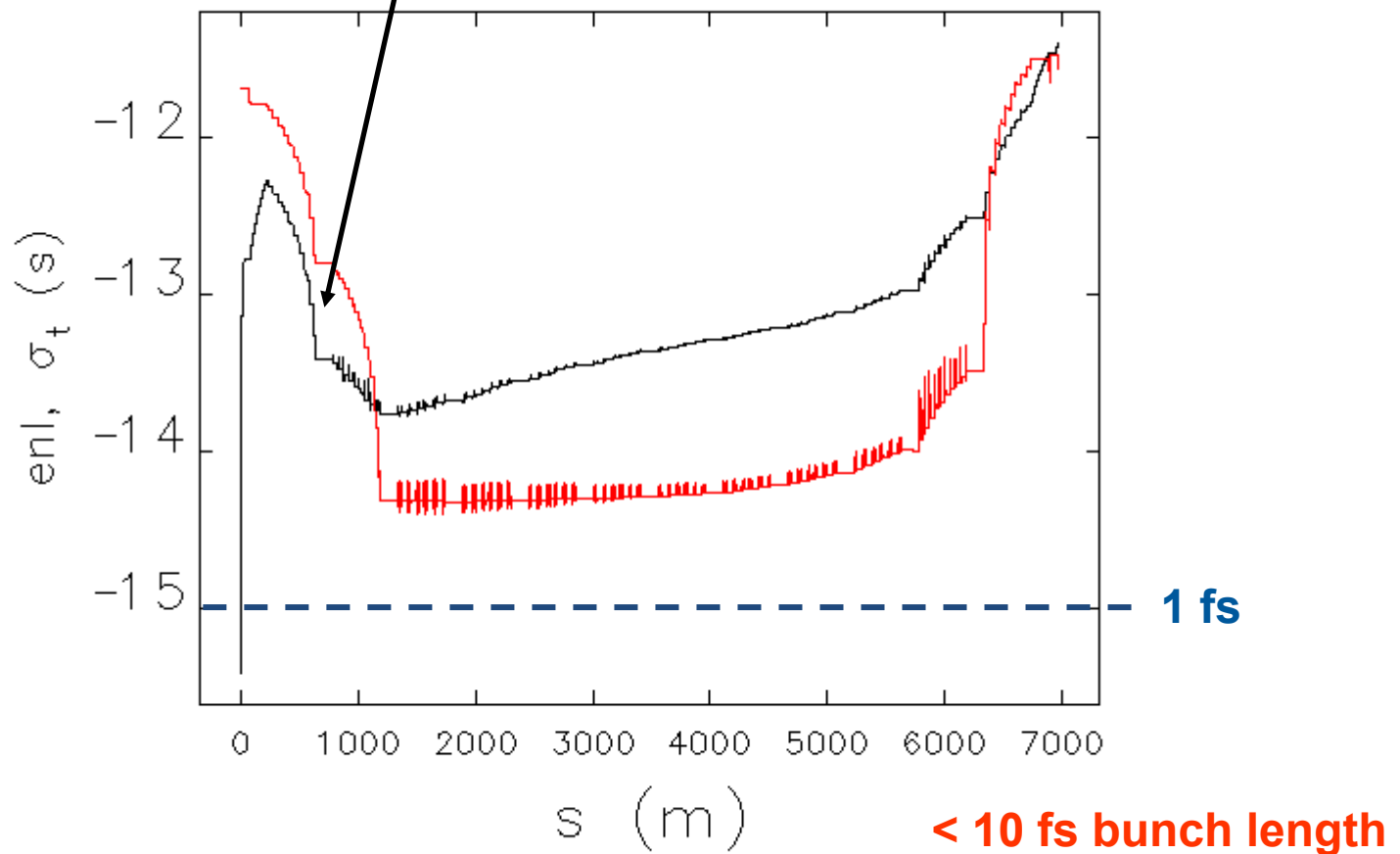
$$T_{363} * T_{464} - T_{364} * T_{463} = 0$$

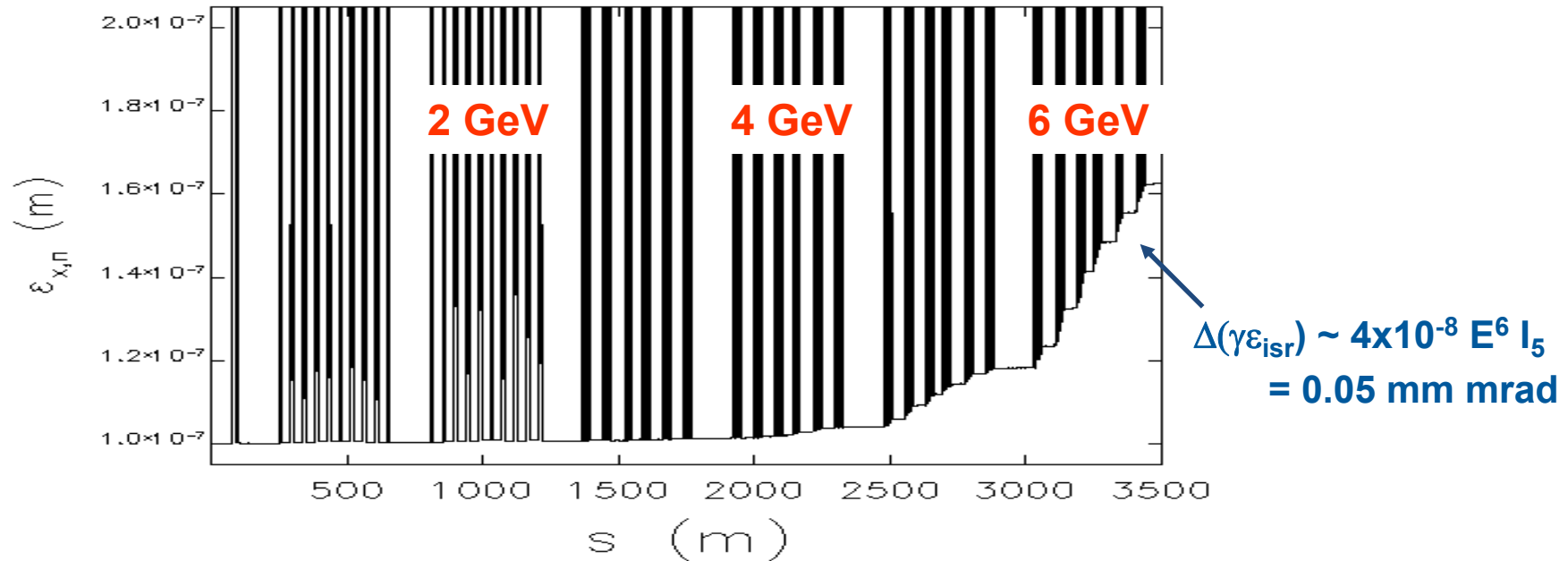
$$\text{Chromaticity } \xi = \Delta \xi / (\Delta p/p)$$

$$(dn_{ux}/dp, dn_{uy}/dp) \rightarrow 0$$



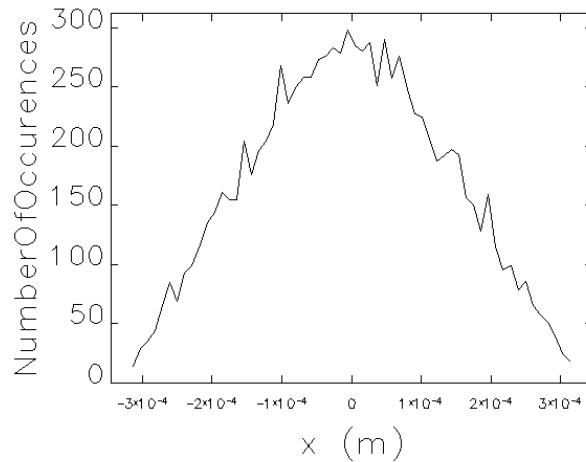
$$\varepsilon_{nl}^2 \approx (T_{566}R_{65} - T_{655})^2 < (c\Delta t_0)^4 > < (c\Delta t_0)^2 >$$



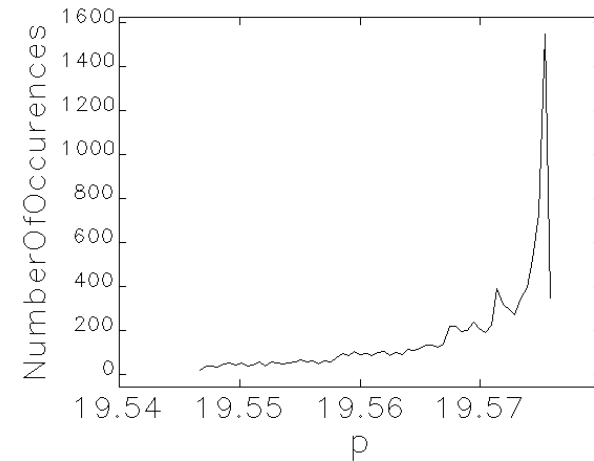


| Type  | $\epsilon_{Nx}$<br>(mm mrad) | $\epsilon_{Ny}$<br>(mm mrad) | Bunch<br>Length (fs) | $\Delta E/E$<br>( $10^{-4}$ ) | Charge<br>(pC) |
|-------|------------------------------|------------------------------|----------------------|-------------------------------|----------------|
| Input | 0.10                         | 0.10                         | 2000                 | 0.10                          | -              |
| SPM   | 0.22                         | 0.11                         | 6                    | 10.2                          | 1              |
| SPM   | 0.21                         | 0.10                         | 20                   | 7.01                          | 5              |
| LEM   | 0.17                         | 0.10                         | 2000                 | 1.96                          | 15             |

Gaussian like profile



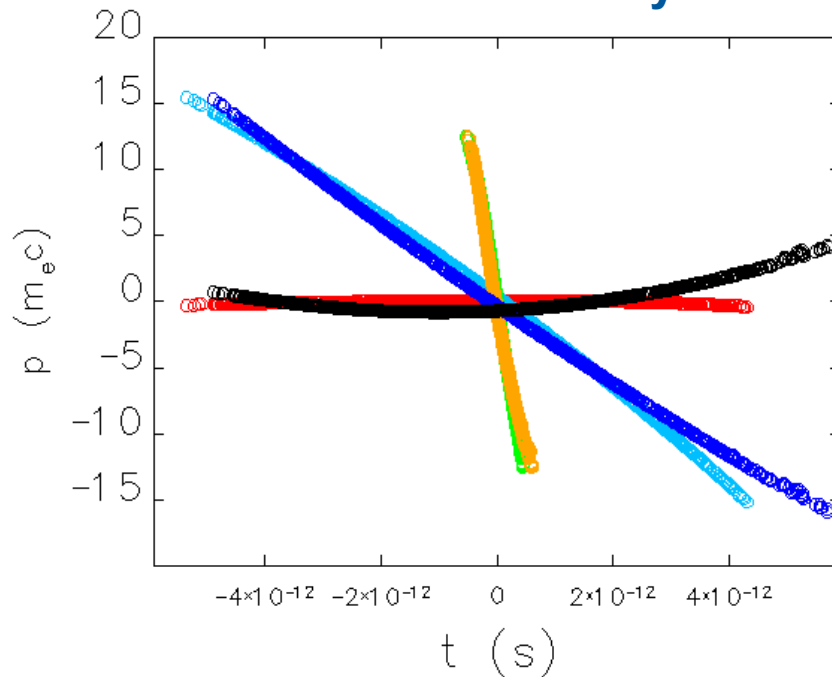
Low longitudinal emittance



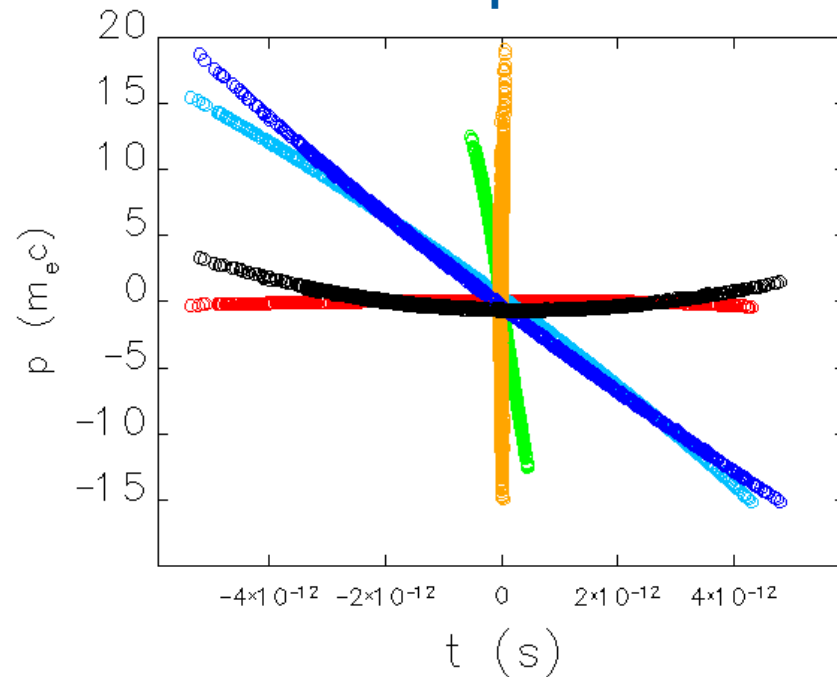
| Pos     | $\varepsilon_x$<br>(mm<br>mrad) | $\varepsilon_y$<br>(mm<br>mrad) | $\varepsilon_z$<br>(keV<br>mm) | bunch<br>length<br>(mm) | Energy<br>Spread<br>( $10^{-4}$ ) | Energy<br>(MeV) |
|---------|---------------------------------|---------------------------------|--------------------------------|-------------------------|-----------------------------------|-----------------|
| Gun     | 0.15                            | 0.15                            | 0.40                           | 0.65                    | 2.10                              | 2.80            |
| Booster | 0.16                            | 0.16                            | 1.20                           | 0.67                    | 3.10                              | 10.0            |
| Merger  | 0.28                            | 0.18                            | 1.17                           | 0.70                    | 3.79                              | 10.0            |

## Telescopic R56 symmetric bunch (de)compression

### 2<sup>nd</sup> order theory

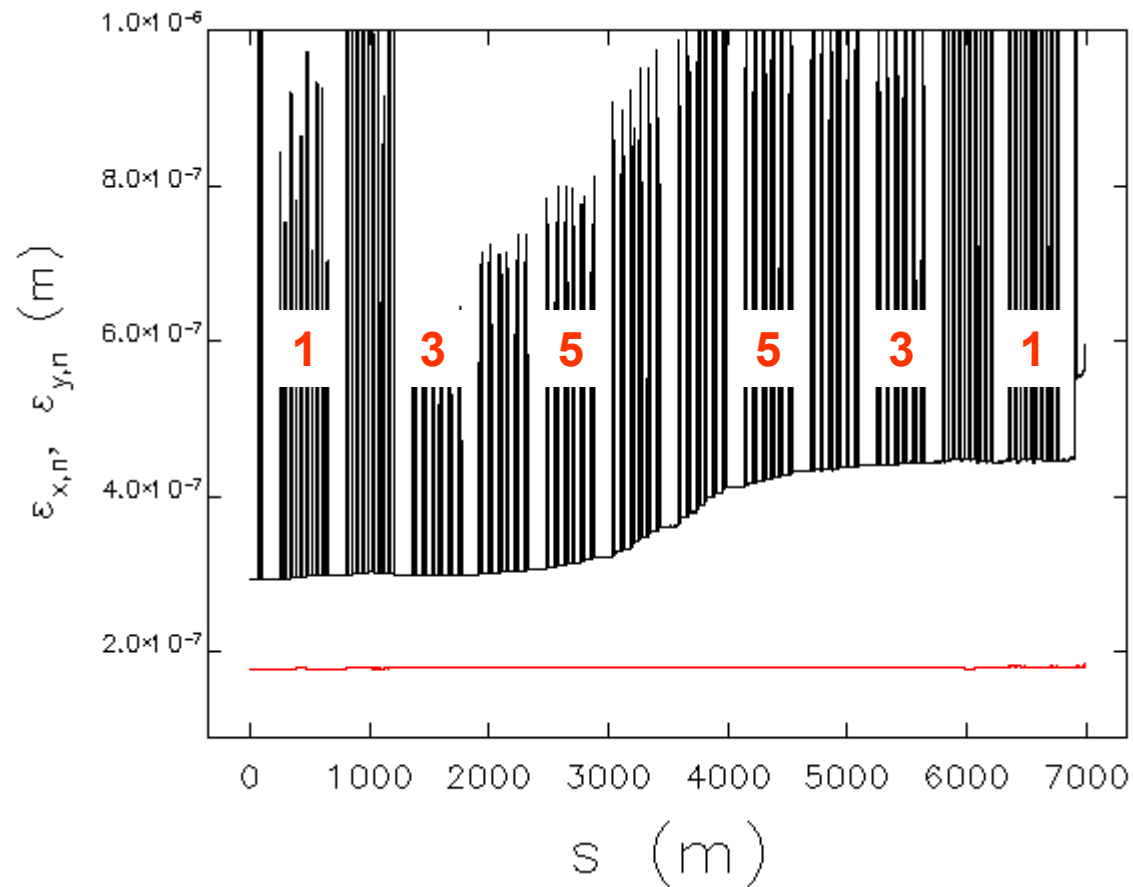


### 1 pC



**240 MeV 1 GeV 2 GeV → 2 GeV 1 GeV 240 MeV**

**acceleration → deceleration**



**emit\_x**

**emit\_y**

## Rectangular Bunch **CSR Model**[Saldin et al.]

total energy loss of the bunch per turn

$$\Delta E_{CSR} \approx - \left( \frac{3^{2/3} q^2}{l_b^{4/3} R^{2/3}} \right) (R \mathcal{G}) \left( 1 + \frac{3^{1/3} 4}{9} \frac{l_b^{1/3}}{R^{1/3} \mathcal{G}} \left[ \ln \left( \frac{l_b \gamma^3}{R} \right) - 4 \right] \right)$$

For LEM 15 pC,

$$E_{CSR} \sim \mathbf{0.3 \text{ MeV}}$$

SPM 1 pC,

$$E_{CSR} \sim \mathbf{3.3 \text{ MeV}}$$

SPM 5 pC,

$$E_{CSR} \sim \mathbf{16 \text{ MeV}}$$

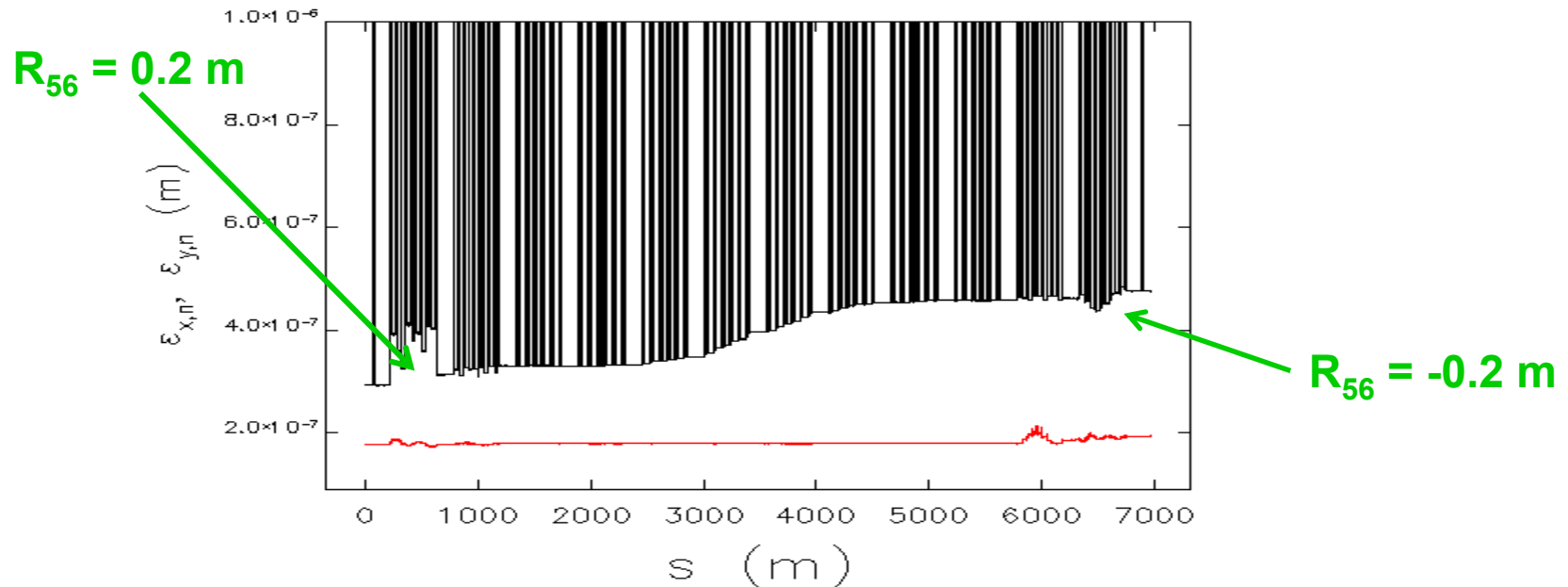
Plus ISR component

$$E_{ISR} \sim 0.088 \cdot E^4 [\text{GeV}] / R [\text{m}] = 15 \text{ MeV}$$

LEM 15 MeV , 300 kW

SPM 30 MeV, 200 kW

„**Booster Modules**“ may suffice?



| Type | $\varepsilon_{Nx}$<br>(mm<br>mrad) | $\varepsilon_{Ny}$<br>(mm<br>mrad) | Bunch<br>Length<br>(ps) | $\Delta E/E$<br>(%) | Charge<br>(pC) |
|------|------------------------------------|------------------------------------|-------------------------|---------------------|----------------|
| SPM  | 0.48                               | 0.20                               | 2.24                    | 3.76                | 1              |
| LEM  | 0.36                               | 0.18                               | 4.02                    | 7.60                | 15             |

can a bunch with energy spread  $> 5\%$  (rms) be ,safely' transported to a dump?

**Cathode to pre-injector**

**Optimise the **ASTRA** input beam**

**Design „New“ pre-injector Arc, suitable for both Modes**

**Implement the Spreaders and Recombiners**

**Undulator Simulations using WAVE**

**Implement the Beam Dump**

# Thanks for listening ....

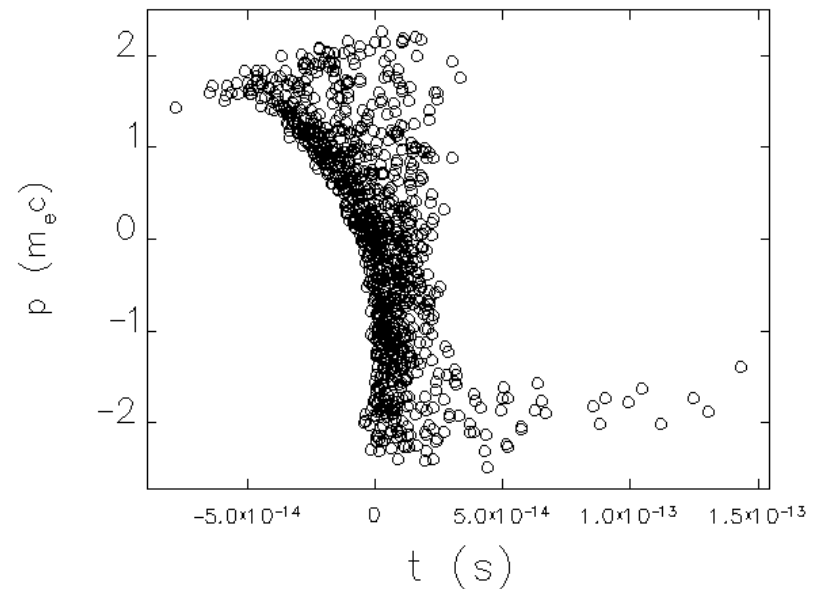
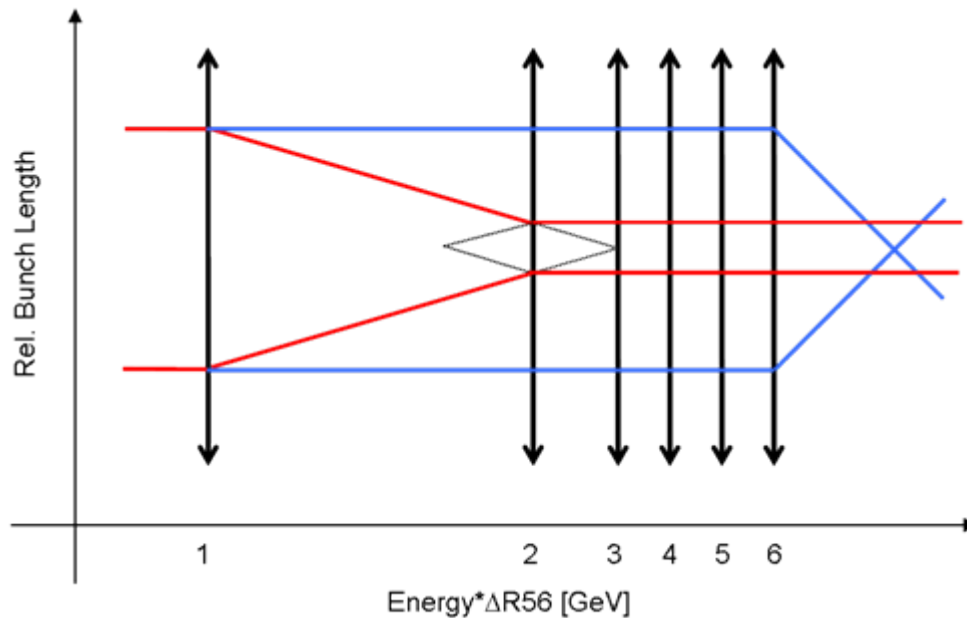
and thanks again to

**A. Bondarenko**

**A. Matveenko**

**Y. Petenev**

## Concentrated on two stage telescopic bunch compression



Linac1  $\phi = +8^\circ$    ARC1 R56 = 20 cm   Linac2  $\phi = -20^\circ$    ARC2 R56 = 5 cm

Start to „middle“ beam simulations - Generates bunch length of **20 fs** with energy spread **1e-4 rms** at the Undulator entrance